



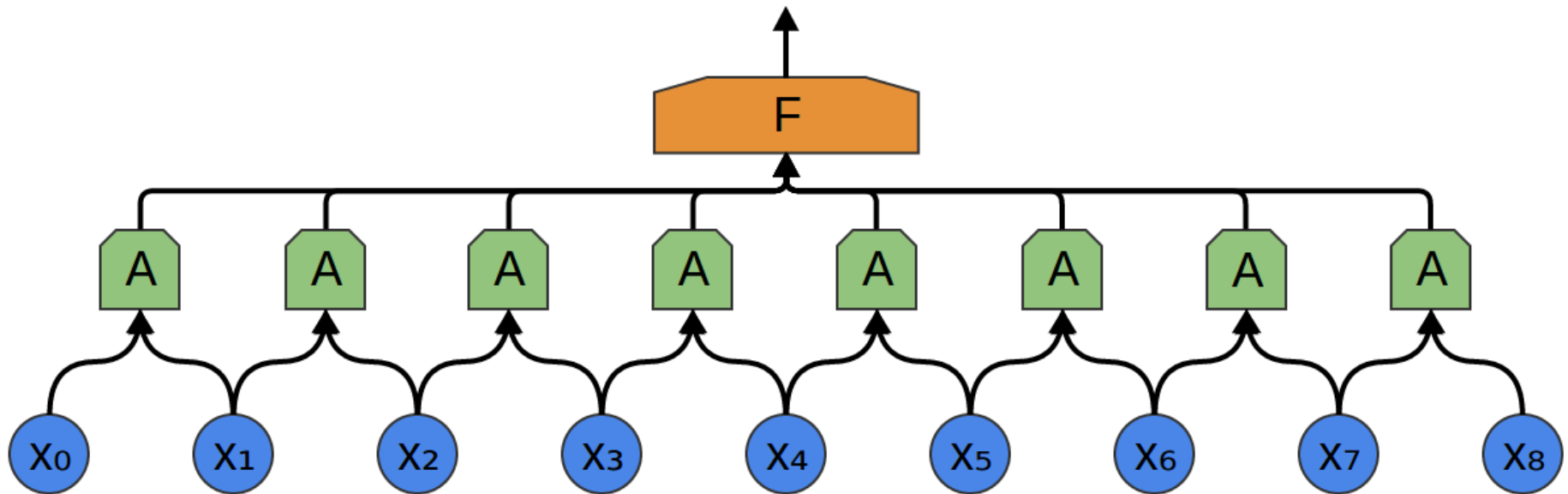
Introduction to Artificial Intelligence

COSC 4550 / COSC 5550

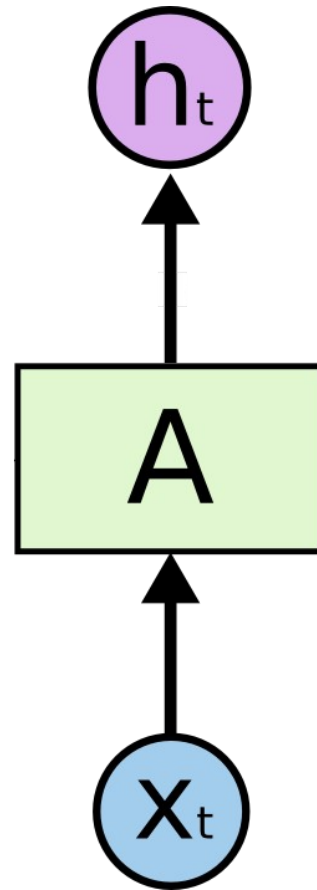
Professor Cheney
11/27/17

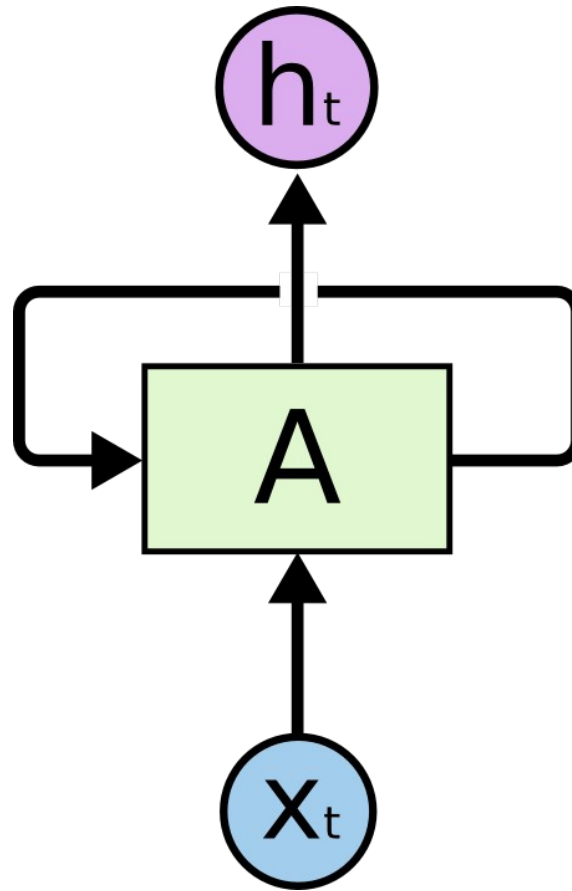
recurrent neural networks

so far our neural networks have all had connections leading from inputs to outputs as we process information...

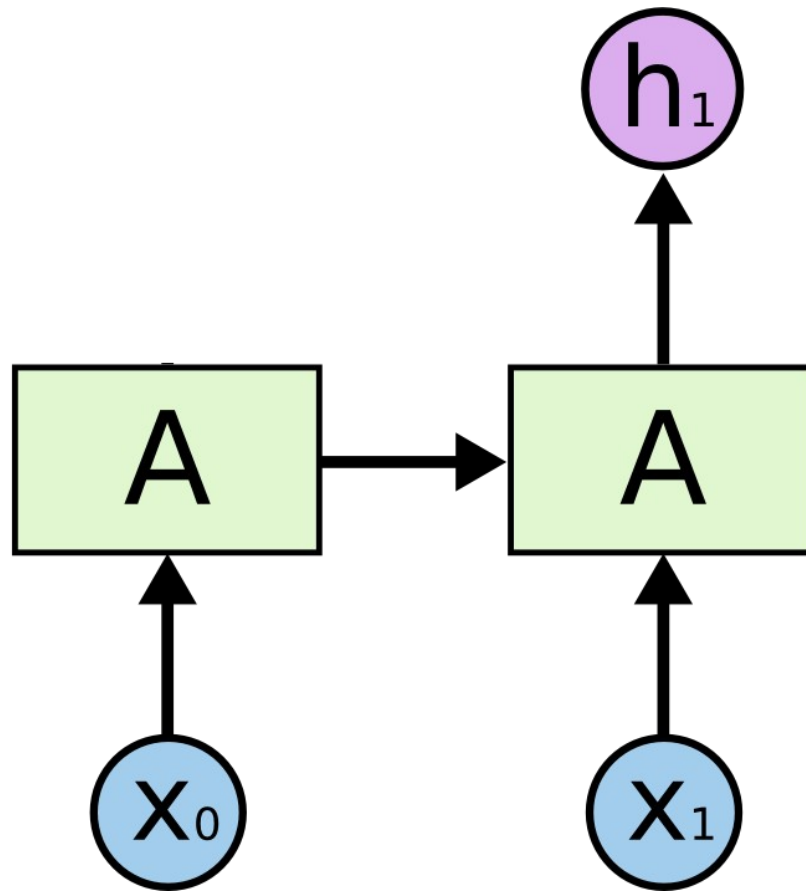


“feed-forward”
connection



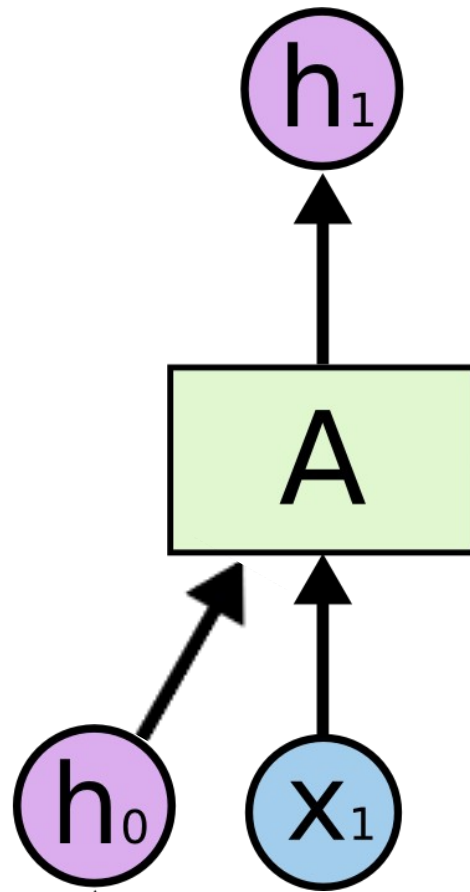
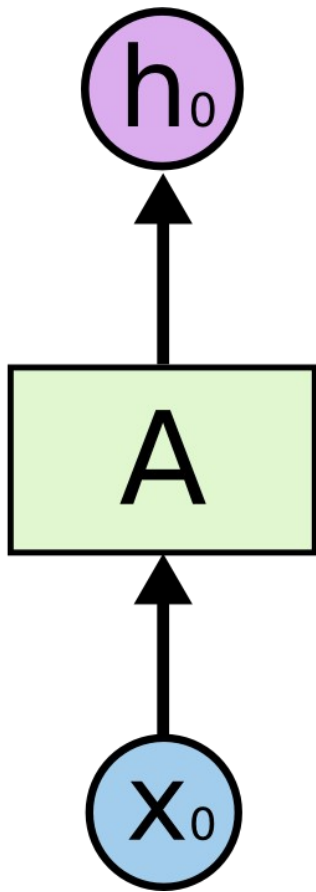


“recurrent”
connection



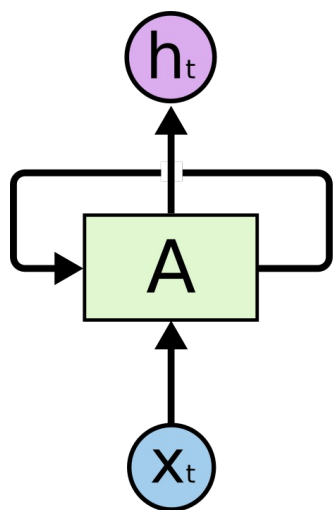
“recurrent”
connection

these horizontal
connections let us
incorporate
information from
past inputs when
creating our
current output

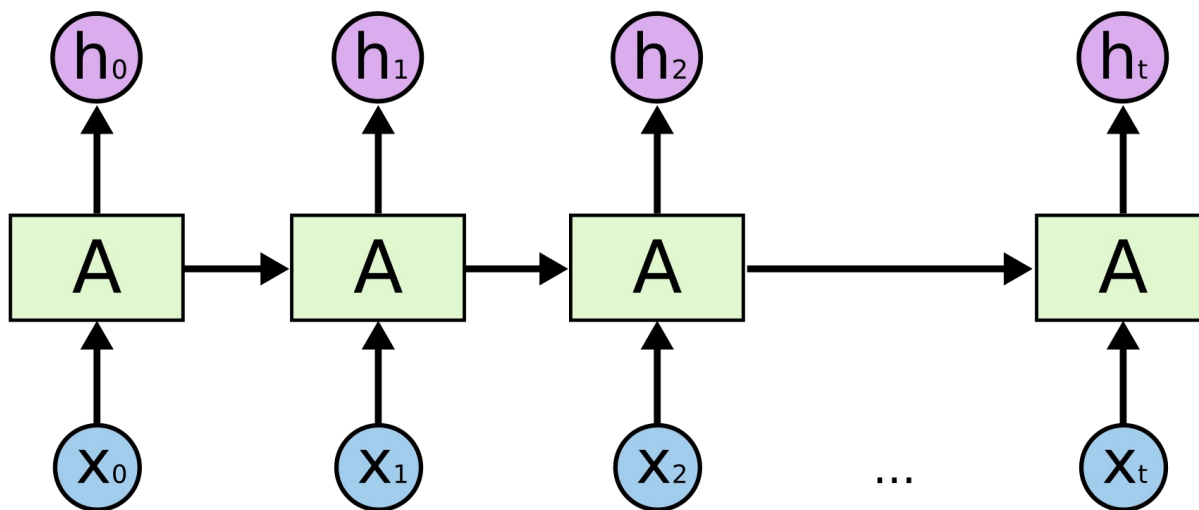


“recurrent”
connection

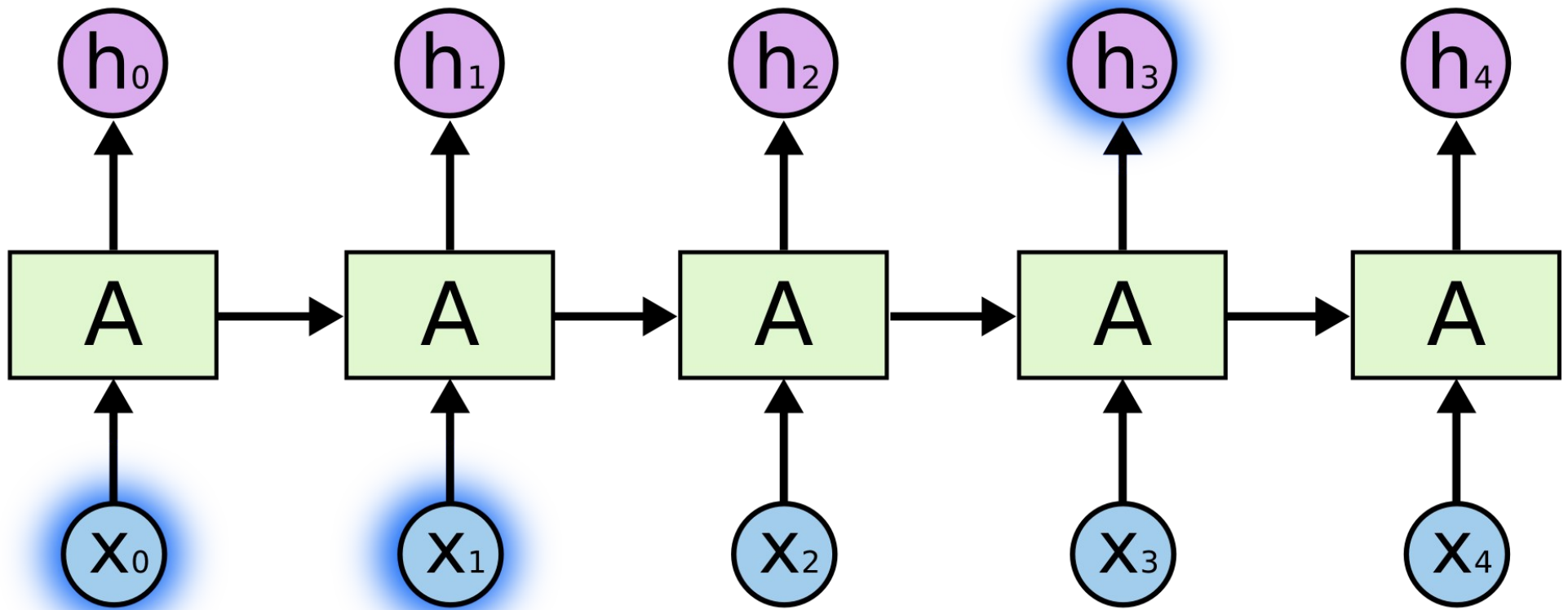
and this information
is already processed
by this layer,
so it is in the
compressed latent
(hidden) representation



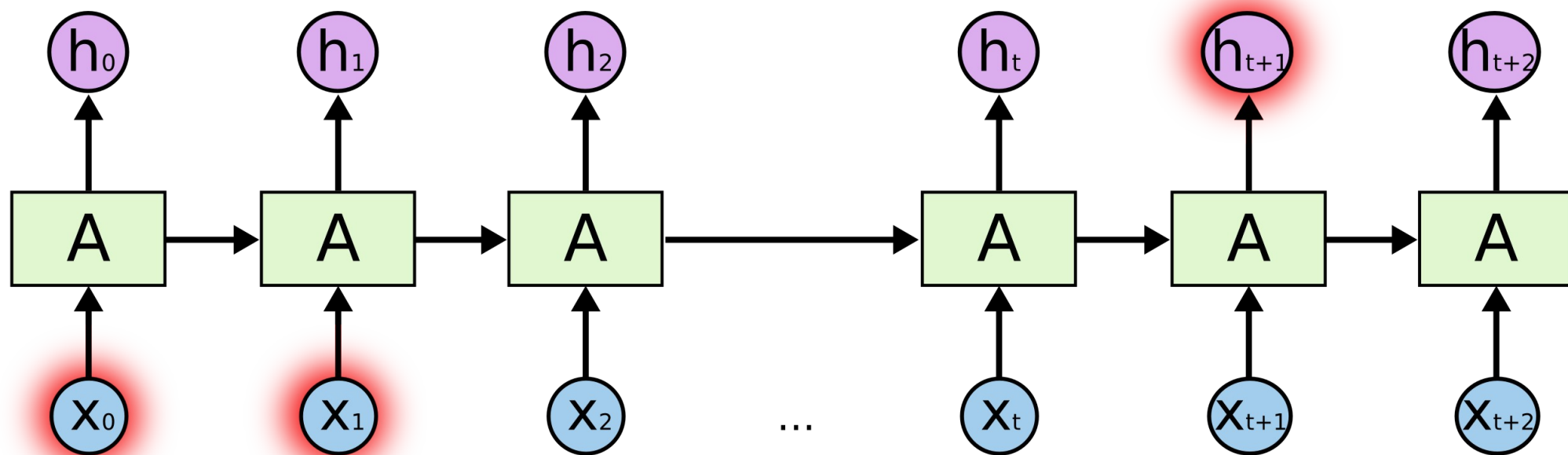
=



now we can account for dependencies over time
(we have memory!)

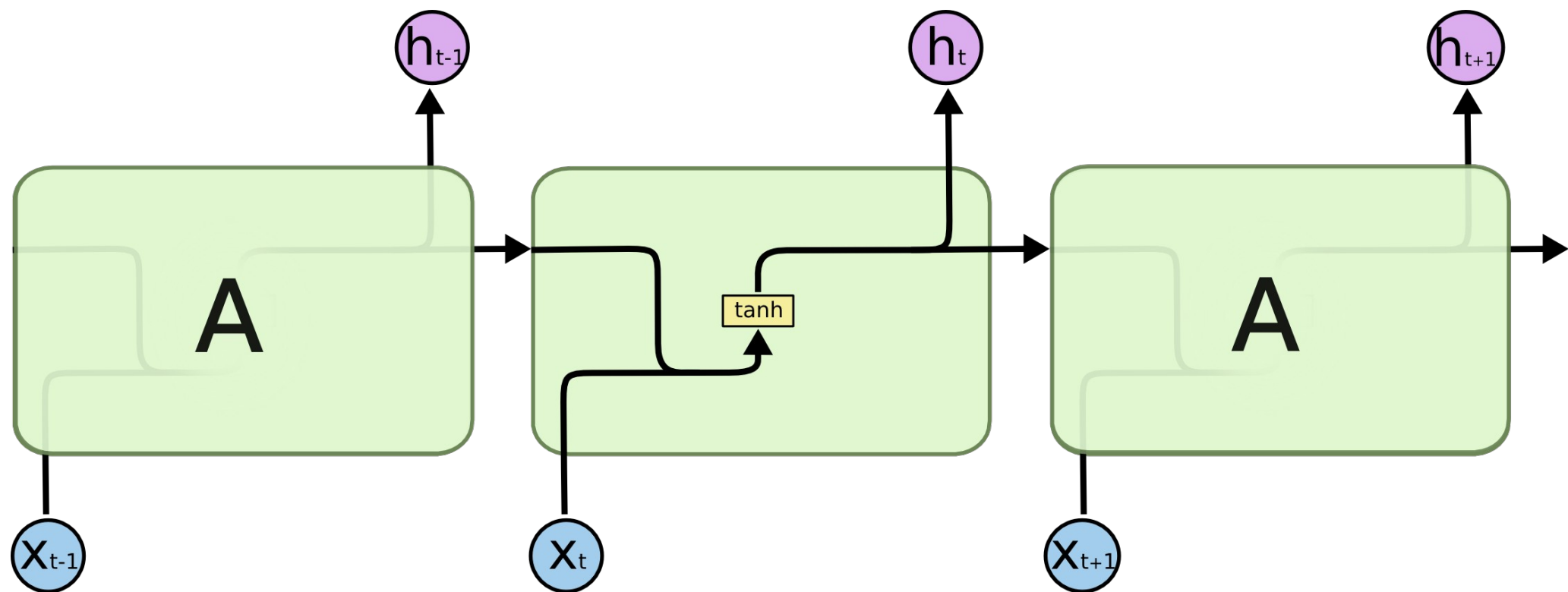


unfortunately, when the gap between a desired output and the inputs that inform that decision grows large, it is difficult to trade off the infusion of new observations with the maintenance of our existing stored information

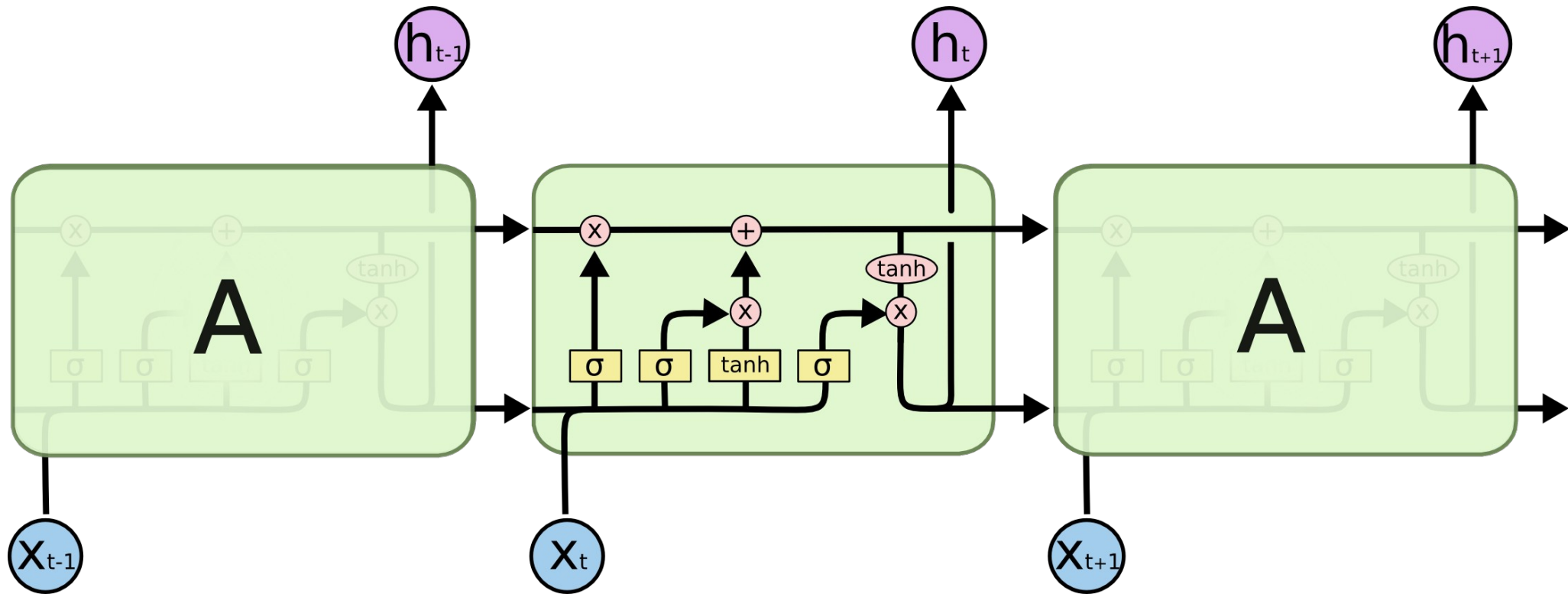


long short-term memory networks (LSTMs)

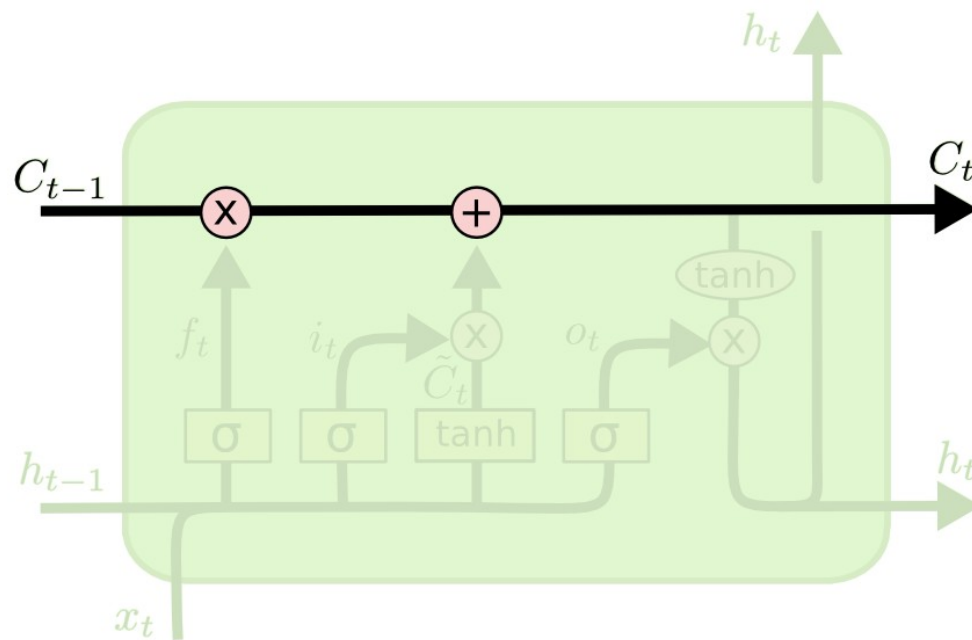
if we zoom in on a recurrent node, it might look like this...



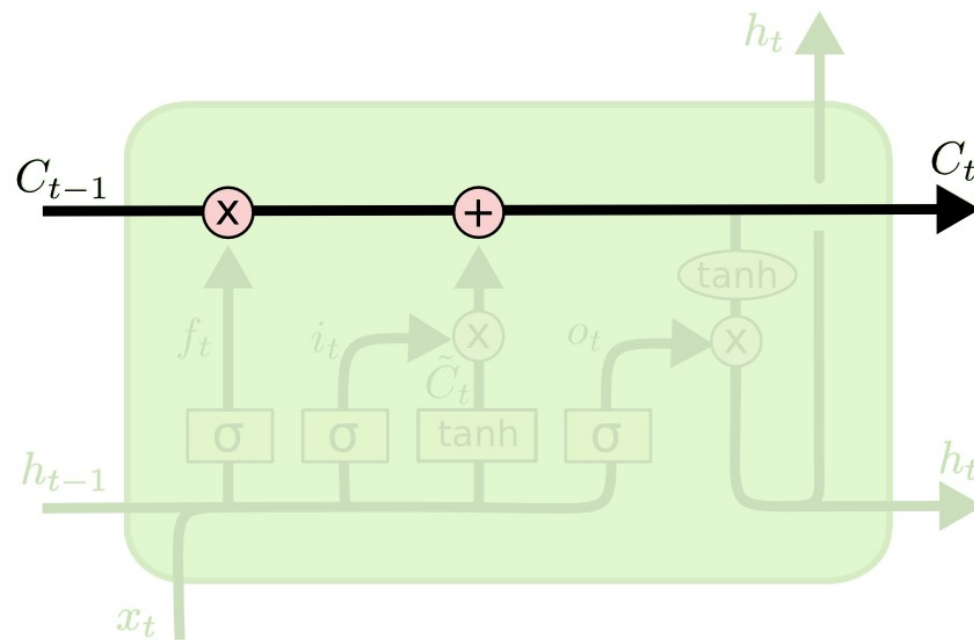
with a more clever internal structure, we can learn weights that will explicit balance new and old information



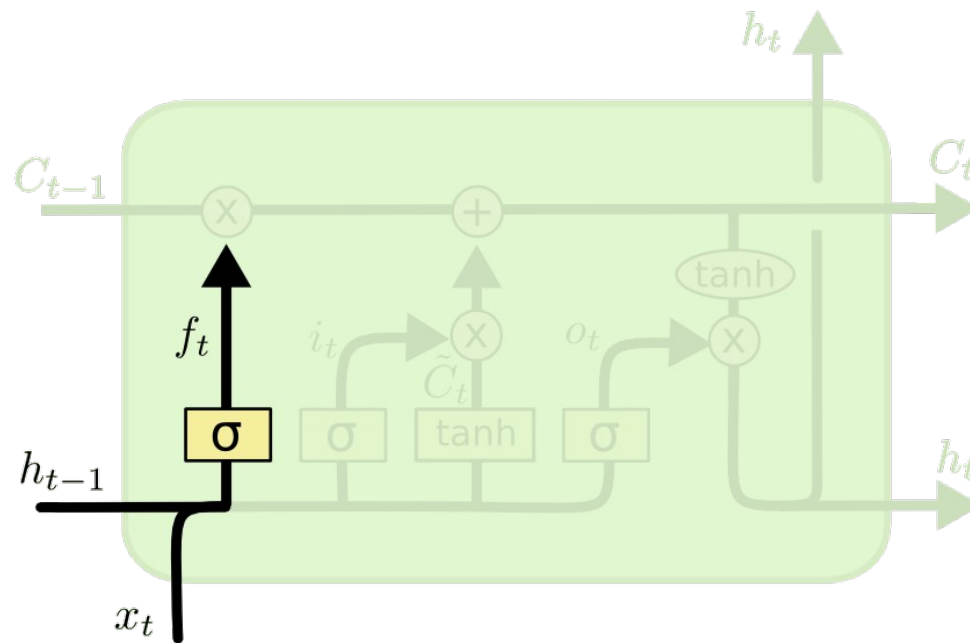
The most important part of this idea, is the cell state (C) that maintains the current memory representation (with some additions or subtractions to it by this node)



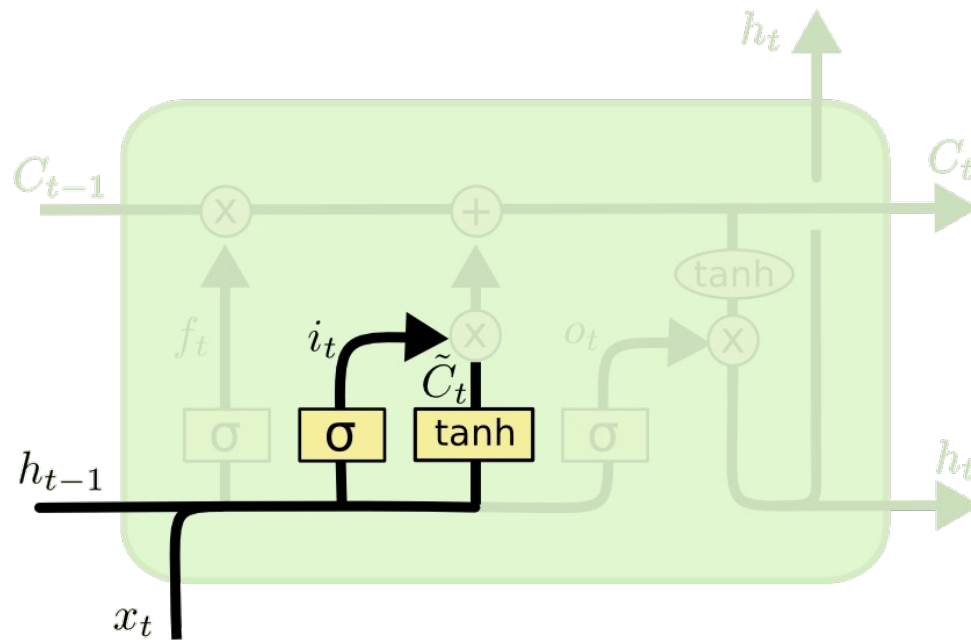
this is like the idea of residual nets, where we are learning the changes to a state, rather than building it again from inputs



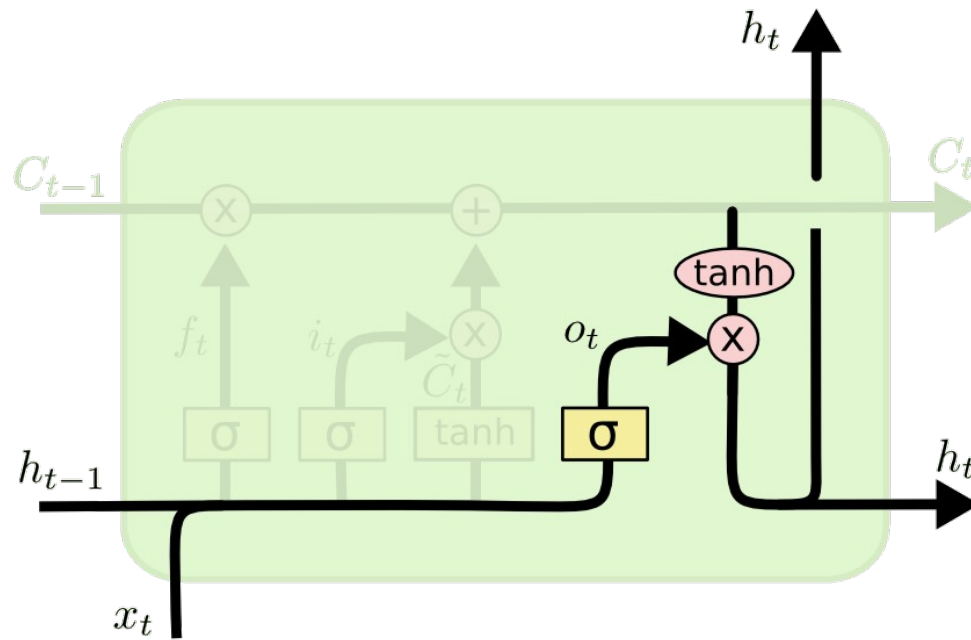
the first possible modification to cell state is
learning which information to forget
(based on inputs from your new observation x_t
and the previous hidden representation h_{t-1})



then we learn what information to add to the cell state
(again based on inputs from your new observation x_t
and the previous hidden representation h_{t-1})

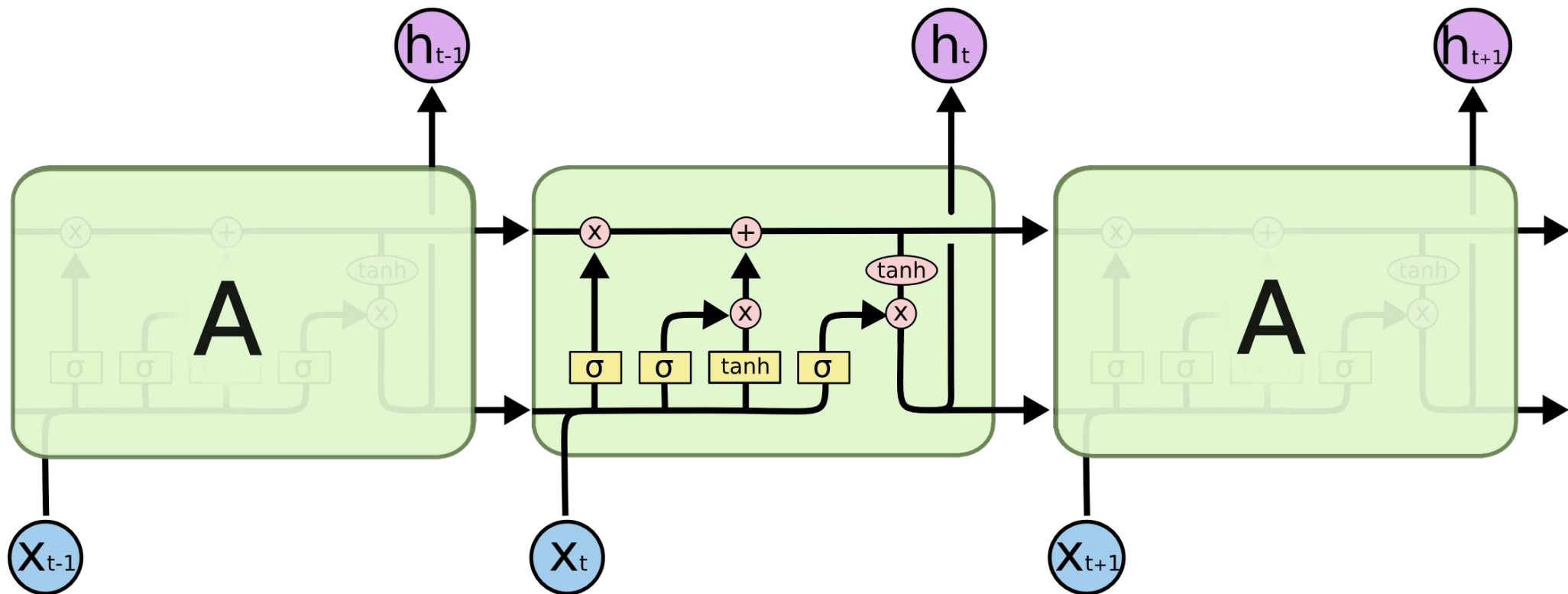


finally, we use the cell state to compute
the local hidden state for this node
(to be passed on to the following node in the time series
and also to the next layer in the network)



putting all of this together gives us our LSTM structure

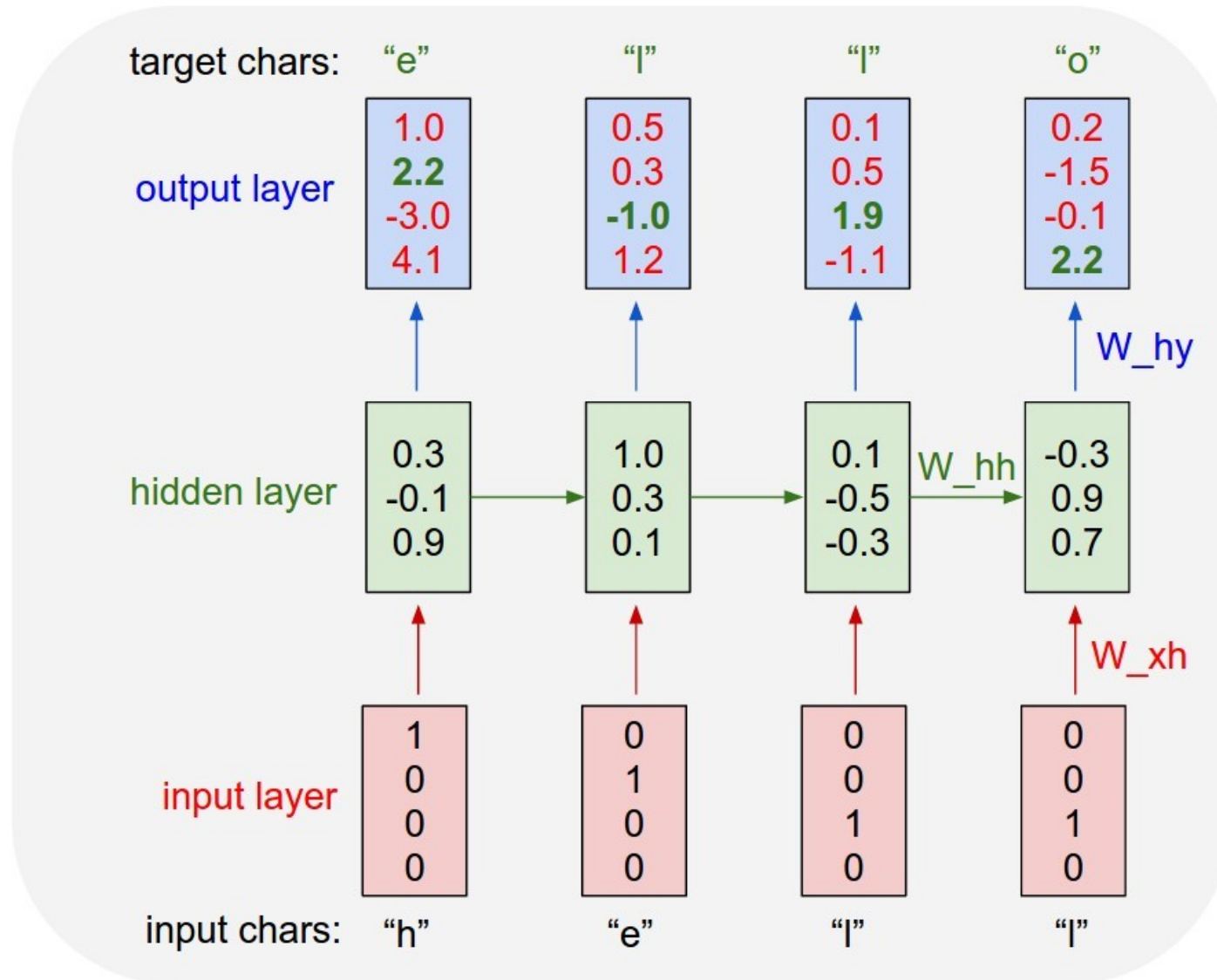
as you can tell there are more weights to learn,
but as a result the network are extremely powerful!



this leads to some fun examples!

<http://karpathy.github.io/2015/05/21/rnn-effectiveness/>

e.g. next-letter language prediction/completion



next-word language prediction/completion (e.g. Shakespeare)

PANDARUS:

Alas, I think he shall be come approached and the day
When little strain would be attain'd into being never fed,
And who is but a chain and subjects of his death,
I should not sleep.

Second Senator:

They are away this miseries, produced upon my soul,
Breaking and strongly should be buried, when I perish
The earth and thoughts of many states.

DUKE VINCENTIO:

Well, your wit is in the care of side and that.

Second Lord:

They would be ruled after this chamber, and
my fair nudes begun out of the fact, to be conveyed,
Whose noble souls I'll have the heart of the wars.

Clown:

Come, sir, I will make did behold your worship.

VIOLA:

I'll drink it.

next-word language prediction/completion (e.g. Wikipedia text)

Naturalism and decision for the majority of Arab countries' capitalide was grounded by the Irish language by [[John Clair]], [[An Imperial Japanese Revolt]], associated with Guangzham's sovereignty. His generals were the powerful ruler of the Portugal in the [[Protestant Immineners]], which could be said to be directly in Cantonese Communication, which followed a ceremony and set inspired prison, training. The emperor travelled back to [[Antioch, Perth, October 25|21]] to note, the Kingdom of Costa Rica, unsuccessful fashioned the [[Thrales]], [[Cynth's Dajoard]], known in western [[Scotland]], near Italy to the conquest of India with the conflict. Copyright was the succession of independence in the slop of Syrian influence that was a famous German movement based on a more popular servicious, non-doctrinal and sexual power post. Many governments recognize the military housing of the [[Civil Liberalization and Infantry Resolution 265 National Party in Hungary]], that is sympathetic to be to the [[Punjab Resolution]] (PJS)[<http://www.humah.yahoo.com/guardian.cfm/7754800786d17551963s89.htm> Official economics Adjoint for the Nazism, Montgomery was swear to advance to the resources for those Socialism's rule, was starting to signing a major tripad of aid exile.]]

next-word language prediction/completion (e.g. Wikipedia markup)

```
{ { cite journal | id=Cerling Nonforest Department|format=Newlymeslated|none } }  
'www.e-complete'.  
  
'''See also''': [[List of ethical consent processing]]  
  
== See also ==  
*[[Iender dome of the ED]]  
*[[Anti-autism]]  
  
=== [[Religion|Religion]] ===  
*[[French Writings]]  
*[[Maria]]  
*[[Revelation]]  
*[[Mount Agamul]]  
  
== External links==  
* [http://www.biblegateway.nih.gov/entrepre/ Website of the World Festival. The labour  
  
==External links==  
* [http://www.romanology.com/ Constitution of the Netherlands and Hispanic Competition
```

next-word language prediction/completion (e.g. Wikipedia XML)

```
<page>
  <title>Antichrist</title>
  <id>865</id>
  <revision>
    <id>15900676</id>
    <timestamp>2002-08-03T18:14:12Z</timestamp>
    <contributor>
      <username>Paris</username>
      <id>23</id>
    </contributor>
    <minor />
    <comment>Automated conversion</comment>
    <text xml:space="preserve">#REDIRECT [[Christianity]]</text>
  </revision>
</page>
```

next-word language prediction/completion (e.g. LaTeX)

For $\bigoplus_{n=1,\dots,m}$ where $\mathcal{L}_{m,\bullet} = 0$, hence we can find a closed subset $\mathcal{H}$ in $\mathcal{H}$ and any sets $\mathcal{F}$ on X , U is a closed immersion of S , then $U \rightarrow T$ is a separated algebraic space.

Proof. Proof of (1). It also start we get

$$S = \mathrm{Spec}(R) = U \times_X U \times_X U$$

and the comparicoly in the fibre product covering we have to prove the lemma generated by $\coprod Z \times_U U \rightarrow V$. Consider the maps M along the set of points Sch_{fppf} and $U \rightarrow U$ is the fibre category of S in U in Section, ?? and the fact that any U affine, see Morphisms, Lemma ?? . Hence we obtain a scheme S and any open subset $W \subset U$ in $\mathrm{Sh}(G)$ such that $\mathrm{Spec}(R') \rightarrow S$ is smooth or an

$$U = \bigcup U_i \times_{S_i} U_i$$

which has a nonzero morphism we may assume that f_i is of finite presentation over S . We claim that $\mathcal{O}_{X,x}$ is a scheme where $x, x', s'' \in S'$ such that $\mathcal{O}_{X,x'} \rightarrow \mathcal{O}'_{X',x'}$ is separated. By Algebra, Lemma ?? we can define a map of complexes $\mathrm{GL}_{S'}(x'/S'')$ and we win. $\square$

To prove study we see that $\mathcal{F}|_U$ is a covering of $\mathcal{X}'$, and $\mathcal{T}_i$ is an object of $\mathcal{F}_{X/S}$ for $i > 0$ and $\mathcal{F}_p$ exists and let $\mathcal{F}_i$ be a presheaf of $\mathcal{O}_X$ -modules on $\mathcal{C}$ as a $\mathcal{F}$ -module. In particular $\mathcal{F} = U/\mathcal{F}$ we have to show that

$$\tilde{M}^\bullet = \mathcal{I}^\bullet \otimes_{\mathrm{Spec}(k)} \mathcal{O}_{S,s} - i_X^{-1} \mathcal{F}$$

is a unique morphism of algebraic stacks. Note that

$$\mathrm{Arrows} = (\mathrm{Sch}/S)_{fppf}^{\mathrm{opp}}, (\mathrm{Sch}/S)_{fppf}$$

and

$$V = \Gamma(S, \mathcal{O}) \longrightarrow (U, \mathrm{Spec}(A))$$

is an open subset of X . Thus U is affine. This is a continuous map of X is the inverse, the groupoid scheme S .

Proof. See discussion of sheaves of sets. $\square$

The result for prove any open covering follows from the less of Example ?? . It may replace S by $X_{\mathrm{spaces}, \text{étale}}$ which gives an open subspace of X and T equal to S_{Zar} , see Descent, Lemma ?? . Namely, by Lemma ?? we see that R is geometrically regular over S .

Lemma 0.1. Assume (3) and (3) by the construction in the description.

Suppose $X = \lim |X|$ (by the formal open covering X and a single map $\mathrm{Proj}_X(\mathcal{A}) = \mathrm{Spec}(B)$ over U compatible with the complex

$$\mathrm{Set}(\mathcal{A}) = \Gamma(X, \mathcal{O}_{X, \mathcal{O}_X}).$$

When in this case of to show that $\mathcal{Q} \rightarrow \mathbb{C}_{Z/X}$ is stable under the following result in the second conditions of (1), and (3). This finishes the proof. By Definition ?? (without element is when the closed subschemes are catenary. If T is surjective we may assume that T is connected with residue fields of S . Moreover there exists a closed subspace $Z \subset X$ of X where U in X' is proper (some defining as a closed subset of the uniqueness it suffices to check the fact that the following theorem

(1) f is locally of finite type. Since $S = \mathrm{Spec}(R)$ and $Y = \mathrm{Spec}(R)$.

Proof. This is form all sheaves of sheaves on X . But given a scheme U and a surjective étale morphism $U \rightarrow X$. Let $U \cap U = \coprod_{i=1,\dots,n} U_i$ be the scheme X over S at the schemes $X_i \rightarrow X$ and $U = \lim_i X_i$. $\square$

The following lemma surjective restrocomposes of this implies that $\mathcal{F}_{x_0} = \mathcal{F}_{x_0} = \mathcal{F}_{x,\dots,0}$.

Lemma 0.2. Let X be a locally Noetherian scheme over S , $E = \mathcal{F}_{X/S}$. Set $\mathcal{I} = \mathcal{I}_1 \subset \mathcal{I}'_n$. Since $\mathcal{I}^n \subset \mathcal{I}'^n$ are nonzero over $i_0 \leq \mathfrak{p}$ is a subset of $\mathcal{I}_{n,0} \circ \overline{A}_2$ works.

Lemma 0.3. In Situation ?? . Hence we may assume $\mathfrak{q}' = 0$.

Proof. We will use the property we see that $\mathfrak{p}$ is the next functor (??). On the other hand, by Lemma ?? we see that

$$D(\mathcal{O}_{X'}) = \mathcal{O}_X(D)$$

where K is an F -algebra where δ_{n+1} is a scheme over S . $\square$

next-word language prediction/completion (e.g. C from Github)

```
/*  
 * If this error is set, we will need anything right after that BSD.  
 */  
static void action_new_function(struct s_stat_info *wb)  
{  
    unsigned long flags;  
    int lel_idx_bit = e->edd, *sys & ~((unsigned long) *FIRST_COMPAT);  
    buf[0] = 0xFFFFFFFF & (bit << 4);  
    min(inc, slist->bytes);  
    printk(KERN_WARNING "Memory allocated %02x/%02x, "  
        "original MLL instead\n"),  
        min(min(multi_run - s->len, max) * num_data_in),  
        frame_pos, sz + first_seg);  
    div_u64_w(val, inb_p);  
    spin_unlock(&disk->queue_lock);  
    mutex_unlock(&s->sock->mutex);  
    mutex_unlock(&func->mutex);  
    return disassemble(info->pending_bh);  
}  
  
static void num_serial_settings(struct tty_struct *tty)  
{  
    if (tty == tty)  
        disable_single_st_p(dev);  
    pci_disable_spool(port);  
    return 0;  
}  
  
static void do_command(struct seq_file *m, void *v)  
{  
    int column = 32 << (cmd[2] & 0x80);
```

The evolution of samples while training

First, it's fun to look at how the sampled text evolves while the model trains. For example, I trained an LSTM of Leo Tolstoy's War and Peace and then generated samples every 100 iterations of training. At iteration 100 the model samples random jumbles:

```
tyntd-iafhatawiaoihrdemot lytdws e ,tfti, astai f ogoh eoase rrranbyne 'nhthnee e  
plia tklrge t o idoe ns,smtt h ne etie h,hregtrs nigtike,aoaenns lng
```

However, notice that at least it is starting to get an idea about words separated by spaces. Except sometimes it inserts two spaces. It also doesn't know that comma is almost always followed by a space. At 300 iterations we see that the model starts to get an idea about quotes and periods:

```
"Tmont thithey" fomesscerliund  
Keushey. Thom here  
sheulke, anmerenith ol sivh I lalterthend Bleipile shuwyl on aseterlome  
coaniogennc Phe lism thond hon at. MeiDimorotion in ther thize."
```

At iteration 1200 we're now seeing use of quotations and question/exclamation marks. Longer words have now been learned as well:

"Kite vouch!" he repeated by her
door. "But I would be done and quarts, feeling, then, son is people...."

Until at last we start to get properly spelled words, quotations, names, and so on by about iteration 2000:

"Why do what that day," replied Natasha, and wishing to himself the fact the
princess, Princess Mary was easier, fed in had oftended him.
Pierre aking his soul came to the packs and drove up his father-in-law women.

The picture that emerges is that the model first discovers the general word-space structure and then rapidly starts to learn the words; First starting with the short words and then eventually the longer ones. Topics and themes that span multiple words (and in general longer-term dependencies) start to emerge only much later.

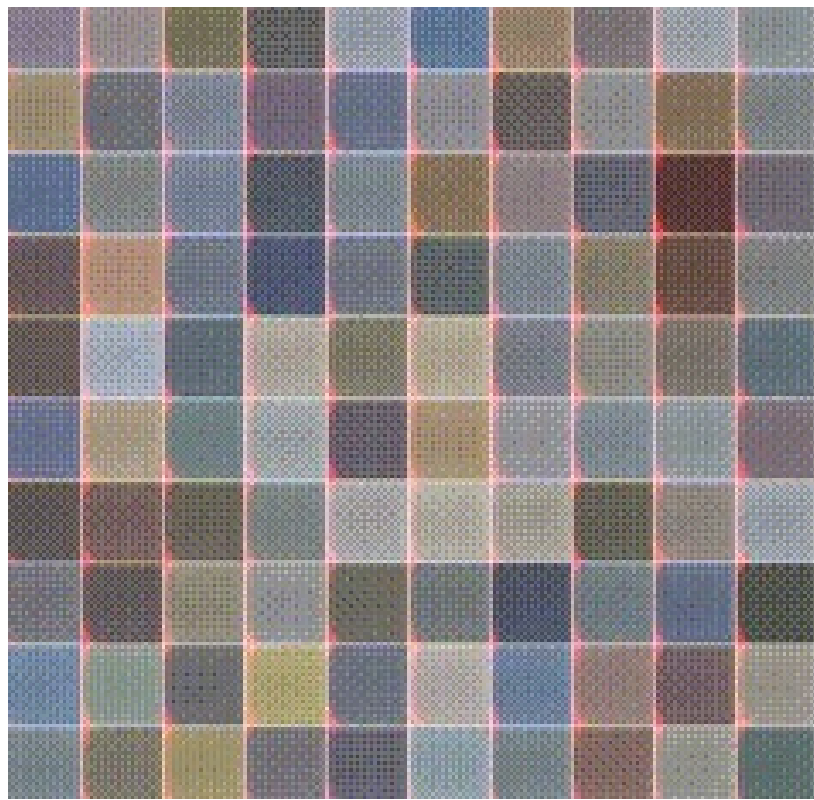
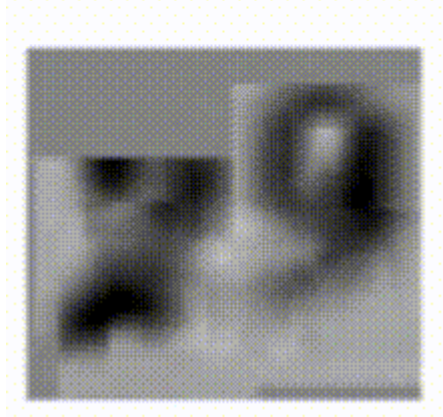
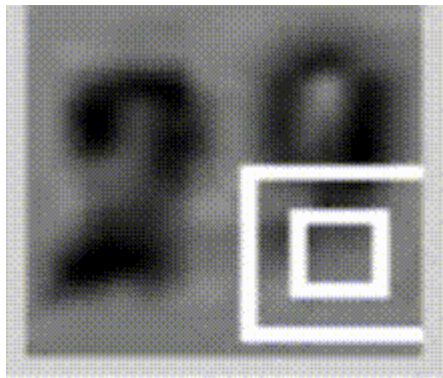
The words are now also separated with spaces and the model starts to get the idea about periods at the end of a sentence. At iteration 500:

we counter. He stutn co des. His stanted out one ofler that concossions and was
to gearang reay Jotrets and with fre colt off paitt thin wall. Which das stimn

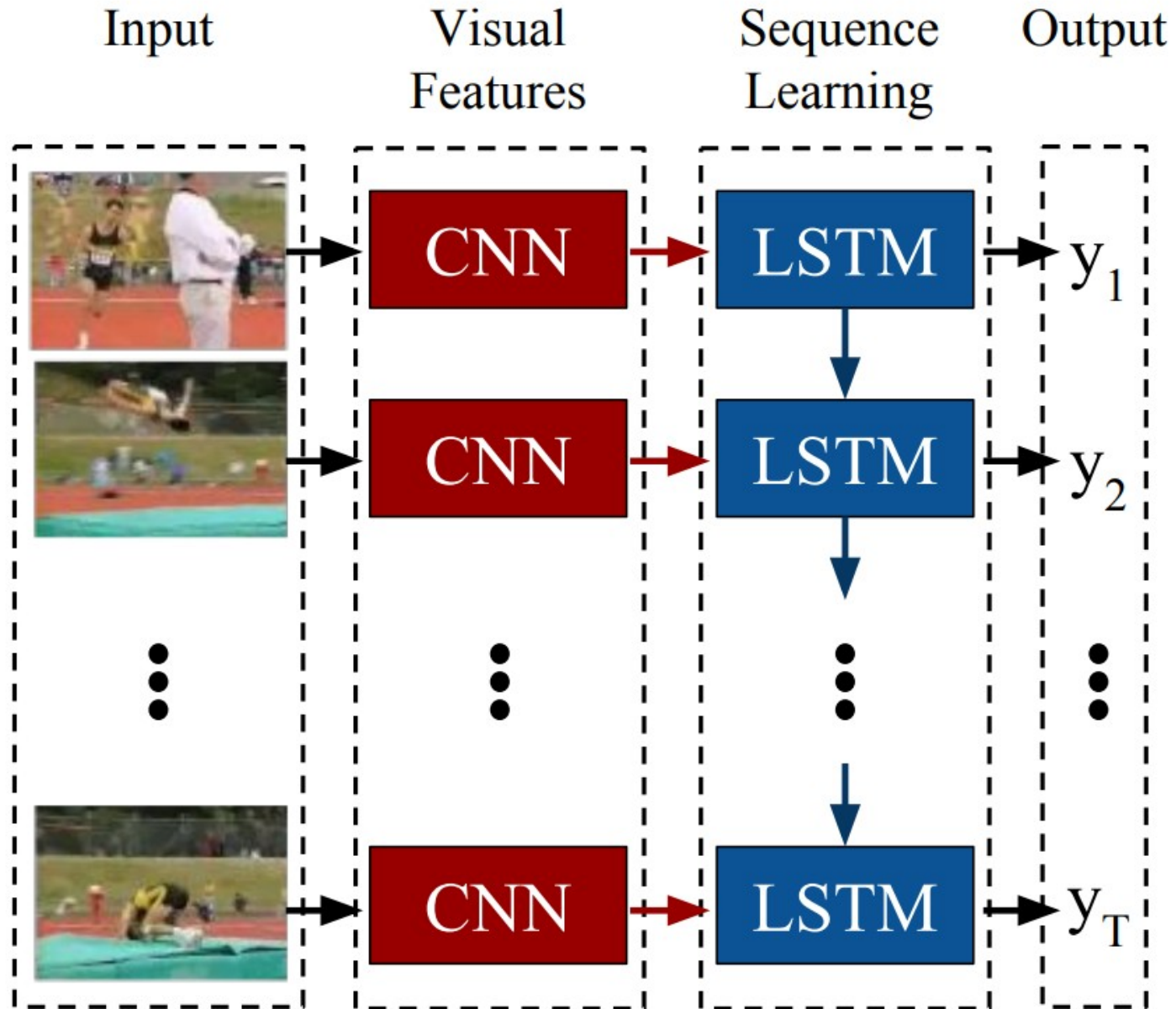
the model has now learned to spell the shortest and most common words such as "we", "He", "His", "Which", "and", etc. At iteration 700 we're starting to see more and more English-like text emerge:

Aftair fall unsuch that the hall for Prince Velzonski's that me of
her hearly, and behs to so arwage fiving were to it beloge, pavu say falling misfort
how, and Gogition is so overelical and ofter.

e.g. eye saccades in visual domains



e.g. video captioning



Long-term Recurrent Convolutional Networks for
Visual Recognition and Description



1 Second



Output



Hidden
Layer



Hidden
Layer



Hidden
Layer



Input



<https://deepmind.com/blog/wavenet-generative-model-raw-audio/>

neural Turing machines

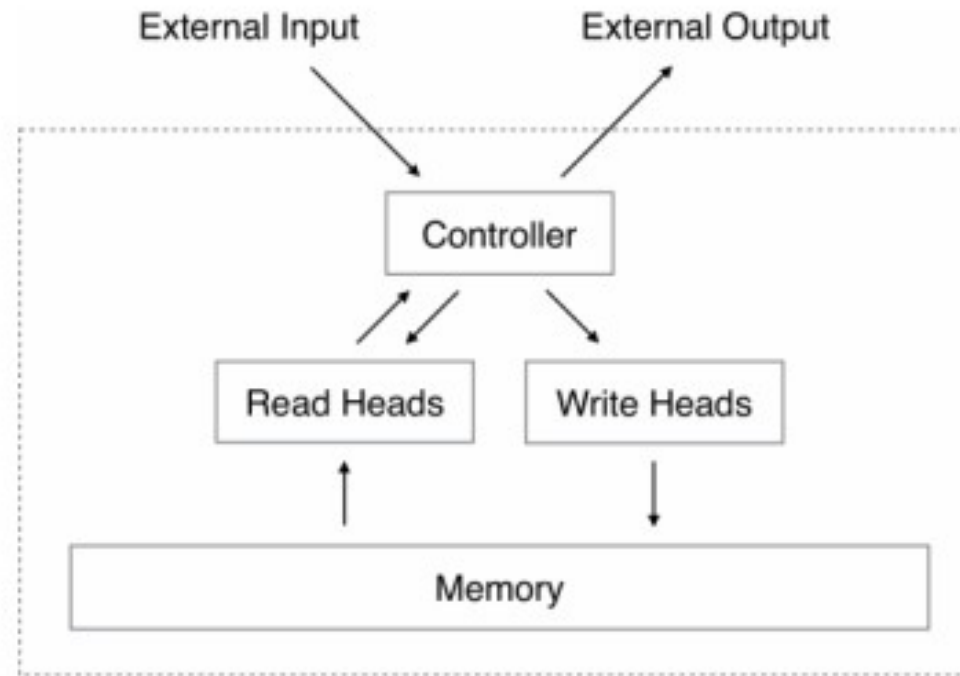
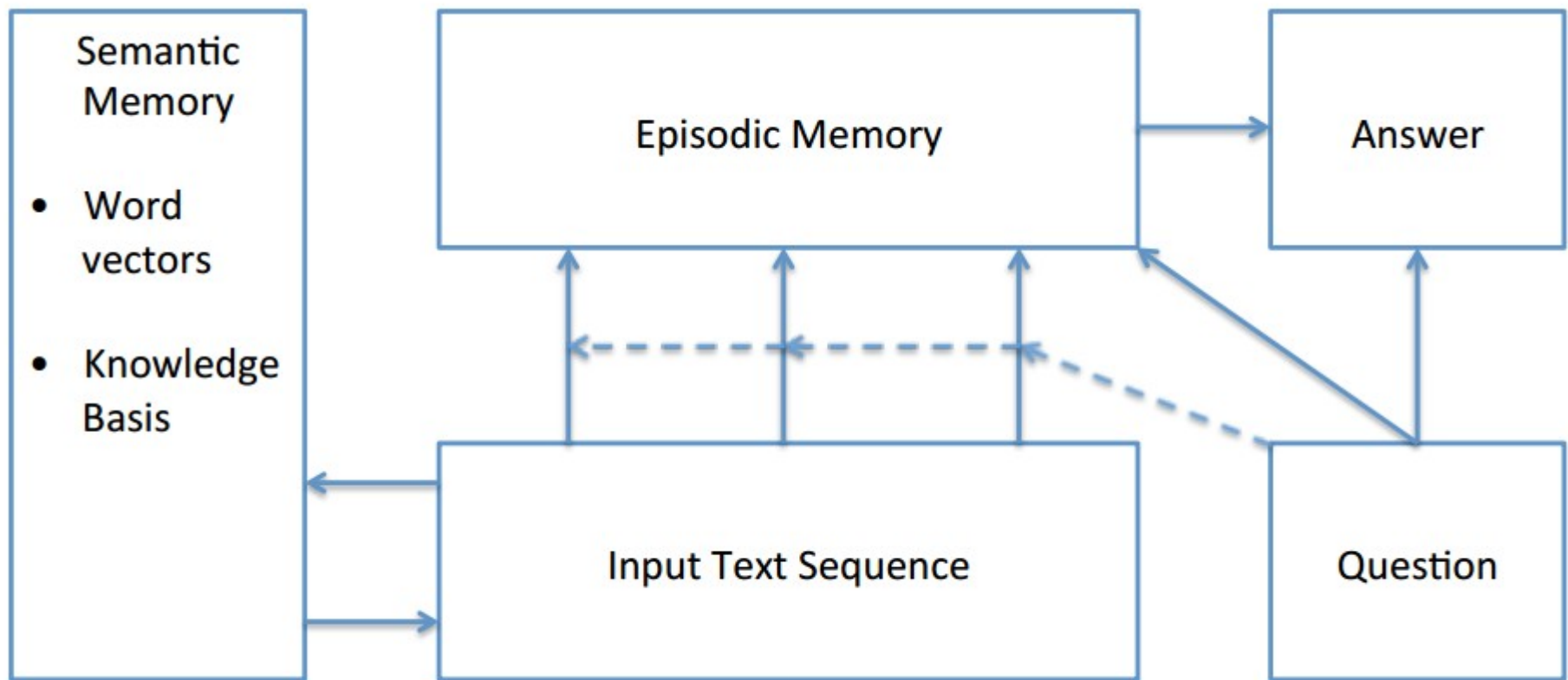


Figure 1: Neural Turing Machine Architecture. During each update cycle, the controller network receives inputs from an external environment and emits outputs in response. It also reads to and writes from a memory matrix via a set of parallel read and write heads. The dashed line indicates the division between the NTM circuit and the outside world.



Dynamic Memory Network

