

Introduction to Artificial Intelligence COSC 4550 / COSC 5550

Professor Cheney 9/25/17



updated office hours:

Monday 2-3pm has been moved to Wednesday 2-3pm

Film Crew in EvolvingAI Lab, Wednesday 10-11:15

(help setup Tuesday 11am)



so... how's it going?



my teaching grade...

mid-term teaching feedback linked on Piazza (https://goo.gl/forms/W3MbDeQYH5xWyeU13)

what do you want to see more of? what do you want to see less of? what has been working for you? what have you been struggling with? what's been boring and repetitive? etc.

course outline/timeline revisited

 Part I: Artificial Intelligence Introduction Intelligent Agents Part II: Problem Solving Search 		what are agents?	
		why would they need to do search?	
		how do we even do search? what's the best way to do it?	
- Optimization			if we know things about the
- Games - what if we have a we perfectly know	a simple setting, wher w the rules (i.e. mode	e])?	problem already, can we tell
Part III: Knowledge, Reas	soning, & Pla	anning -	them to the agent, instead of
Part IV: Uncertainty and	Reasoning		making it learn them?
- Probability	if wo're pot c	uro of the	modol but have a guess at
- Bayesian Statistics	how it chould work how can we undate our caucal		
- Markov Models	now it should	u work, IP	ow information comos?
Part V: Learning			
- Unsupervised Learning what if we have no			o idea (or prior assumptions)
- Supervised Learning about how the world w			ld works – can we get the
- Reinforcement Learning agent to learn correlations from the ground up?			
Part VI: Communicating, Perceiving, & Acting			
 Natural Language Pro- Object Recognition Robotics 	cessing 🥆	what add we need ideas to	ditional tricks/techniques do to be able to apply these a variety of applications?

Bayes' rule



"This simple equation underlies most modern AI systems for probabilistic inference" -R&N

it's just some math... what's the big deal???

$$P(b \mid a) = \frac{P(a \mid b) * P(b)}{P(a)}$$

$P(\text{cause} | \text{effect}) = \frac{P(\text{effect} | \text{cause}) * P(\text{cause})}{P(\text{effect})}$

 $P(hypothesis | data) = \frac{P(data | hypothesis) * P(hypothesis)}{P(data)}$

P(disease | symptoms) = <u>P(symptoms | disease) * P(disease)</u> P(symptoms)

for each disease_i (in disease₁, disease₂, ..., disease_N), which one is most likley?

i.e. maximizes:

 $P(disease_{i} | symptoms) = \frac{P(symptoms | disease_{i}) * P(disease_{i})}{P(symptoms)}$

if you want to know the **cause** behind an observation...

you can figure this out if you know:

what causes tend to lead to what observations data and how likely you believed each of those causes was (before you saw the observation) prior belief

new

 $P(disease_{i} | symptoms) = \underline{P(symptoms | disease_{i}) * P(disease_{i})} P(symptoms)$

example

a laptop manufacturer buys computer chips from two companies:

Company A sold them 100 chips, of which 5 were defective Company B sold them 300 chips, of which 21 were defective

if I buy a laptop, what is the likelihood that my chip came from each company?

$$P(\text{company}_{A}) = \frac{100}{300 + 100} = 0.25$$

$$P(\text{company}_{B}) = \frac{300}{300 + 100} = 0.75$$

a laptop manufacturer buys computer chips from two companies:

Company A sold them 100 chips, of which 5 were defective Company B sold them 300 chips, of which 21 were defective

if I then observe that my processor is defective, what is the new likelihood that my chip came from each company?

$$P(\text{company}_{A} | \text{defective}) = \frac{P(\text{defective} | \text{company}_{A}) * P(\text{company}_{A})}{P(\text{defective})}$$

$$P(\text{company}_{A} | \text{ defective}) = \frac{(5/100) * (100/400)}{P(\text{defective})}$$

 $P(\text{company}_{B} | \text{defective}) = (21/300) * (300/400)$ P(defective)

$$P(\text{company}_{A} | \text{defective}) = \frac{(5/100) * (100/400)}{P(\text{defective})} = \frac{0.0125}{P(\text{defective})}$$

$$P(\text{company}_{B} | \text{defective}) = \frac{(21/300) * (300/400)}{P(\text{defective})} = \frac{0.0525}{P(\text{defective})}$$

let's normalize it, so our probabilities add up to 1...

normalizing
constant (
$$\alpha$$
) = $\frac{1}{\frac{0.0125}{P(defective)} + \frac{0.0525}{P(defective)}}} = \frac{P(defective)}{0.065}$
 $\alpha * P(company_A | defective) = \frac{0.0125}{P(defective)} * \frac{P(defective)}{0.065} = 0.192$
 $\alpha * P(company_B | defective) = \frac{0.0525}{P(defective)} * \frac{P(defective)}{0.065} = 0.808$

P(hypothesis | data) = P(data | hypothesis) * P(hypothesis)- P(data) - P(data)

$$P(\text{company}_{A} | \text{ defective}) = \frac{(5/100) * (100/400)}{-P(\text{defective})}$$

 $P(\text{company}_{B} | \text{defective}) = (21/300) * (300/400)$ $-\frac{P(\text{defective})}{P(\text{defective})}$

as long as we are normalizing in the end, it's fine to ignore the likelihood of observing that data

(you know that it's equally likely in each scenario... since it's a given that it has already happened) based on our new observation (that the chip was defective) — new data

we were able to update our prior belief (25% sure chip came from A, 75% sure it came from B) prior belief distribution

to produce our post-observation belief (19% sure chip came from A, 81% sure it came from B) posterior belief distribution

(i.e. we updated our beliefs based on new data!)

e.g. localization

let's say you are a robot in a maze but don't know where you are and you can only look at one sensor at a time

cause (hypothesis): I'm currently located at tile *y*

effect (observed data): I have *x* sensor readings



prior distribution:
 who knows???
(all equally likely)

new data: my sensors say there is no wall above me (with 90% accuracy)



prior distribution:
 who knows???
(all equally likely)

new data: my sensors say there is no wall above me (with 90% accuracy)

posterior distribution: I'm more likely to be in the tiles with nothing above them



prior distribution:
 who knows???
(all equally likely)

new data: my sensors say there is no wall above me (with 100% accuracy)

posterior distribution: I'm more likely to be in the tiles with nothing above them



prior distribution: I'm more likely to be in the tiles with nothing above them

new data: my sensors say there is no wall to the left of me (with 100% accuracy)



prior distribution: I'm more likely to be in the tiles with nothing above them

new data: my sensors say there is no wall to the left of me (with 100% accuracy)

posterior distribution: now here is where I believe I am



prior distribution: now here is where I believe I am

new data: my sensors say there is no wall below me (with 100% accuracy)

posterior distribution: I know I'm here!



Bayes' rule allows you to iteratively update your beliefs!